

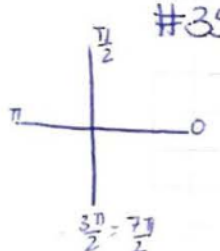
Composition of Inverse Trig Functions

Sec 4.7 pg 352 # 31-53 odd

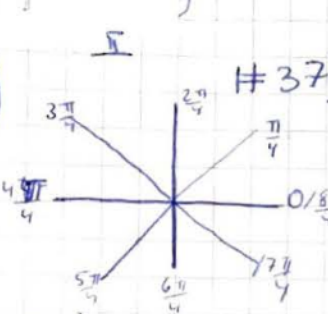
#31) $\tan(\arctan 35)$
 Domain $\forall \mathbb{R}$ # ✓
 So we can cancel
 $= \boxed{35}$

#33) $\sin[\arcsin(-0.1)]$
 Is in Domain of arcsin $[-1, 1]$
 So we can cancel
 $= \boxed{-0.1}$

#35) $\arccos(\cos \frac{7\pi}{2})$
 $\arccos(0)$
 $= \boxed{\frac{\pi}{2}}$

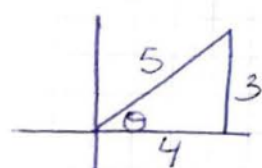


#37) $\arcsin(\sin \frac{7\pi}{4})$
 $\arcsin(-\frac{\sqrt{2}}{2})$
 $= \boxed{-\frac{\pi}{4}}$

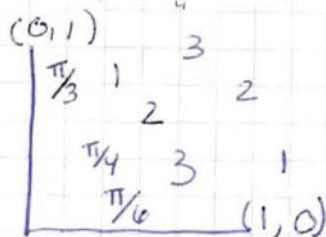


Sohcahtoa

#39) $\sec(\arcsin \frac{3}{5})$



$x^2 + 3^2 = 5^2$
 $x^2 + 9 = 25$
 $x^2 = 16$
 $x = 4$



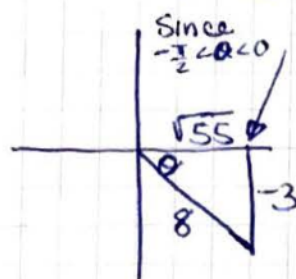
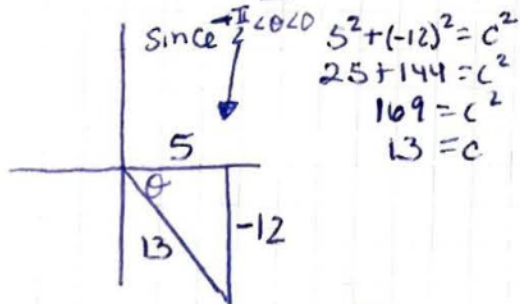
OR $\arcsin(\sin \frac{7\pi}{4})$
 $= \boxed{-\frac{\pi}{4}}$
 Coterminal to $-\frac{\pi}{4}$
 Since $-\frac{\pi}{4}$ is Range of arcsin then cancel

S	A
T	C

$\sec = \frac{H}{A} = \sec \theta = \boxed{\frac{5}{4}}$

#43) $\tan[\arcsin(-\frac{3}{8})]$

#41) $\csc[\arctan(-\frac{12}{5})]$

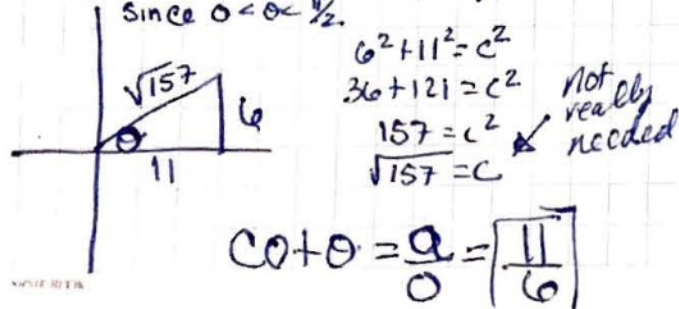


$\tan \theta = \frac{-3}{\sqrt{55}}$

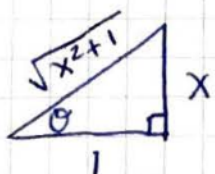
$= \boxed{\frac{-3\sqrt{55}}{55}}$

$\csc \theta \rightarrow \frac{h}{o} = \boxed{\frac{-13}{12}}$

#45) $\cot(\arctan \frac{6}{11})$



#47) $\sin(\arctan \frac{x}{1})$

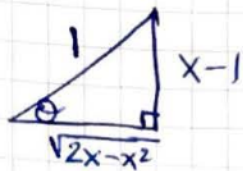


$1^2 + x^2 = c^2$
 $1 + x^2 = c^2$
 $\sqrt{1+x^2} = c$

$\sin \theta = \frac{o}{h} = \boxed{\frac{x}{\sqrt{x^2+1}}}$

Scheach Toa

#49) $\sec[\arcsin(x-1)]$



$$(x-1)^2 + b^2 = 1^2$$

$$x^2 - 2x + 1 + b^2 = 1$$

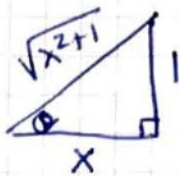
$$b^2 = 2x - x^2$$

$$b = \sqrt{2x - x^2}$$

$$\sec \theta = \frac{h}{a}$$

$$= \frac{1}{\sqrt{2x-x^2}} = \boxed{\frac{\sqrt{2x-x^2}}{2x-x^2}}$$

#51) $\cot(\arctan \frac{1}{x})$



$$x^2 + 1^2 = c^2$$

$$x^2 + 1 = c^2$$

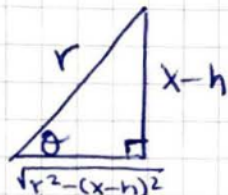
$$\sqrt{x^2 + 1} = c$$

not really need but good practice.

$$\cot \theta = \frac{a}{o}$$

$$= \boxed{x}$$

#53) $\cos(\arcsin \frac{x-h}{r})$



$$(x-h)^2 + b^2 = r^2$$

$$b^2 = r^2 - (x-h)^2$$

$$b = \sqrt{r^2 - (x-h)^2}$$

$$\cos \theta = \frac{a}{h} = \boxed{\frac{\sqrt{r^2 - (x-h)^2}}{r}}$$

